

B.Sc. Semester - 5 (Remedial) (CBCS) Examination**March/April-2023 (NEW COURSE)****Mathematical Physics, Classical Mechanics & quantum Mechanics(Core)****Time: 2:30 Hours****Marks: 70****Instructions:**

1. All questions are compulsory.
2. Figures to the right indicate marks.

Q.1(a) Answer the following questions (any two) (10)

- 1) Write a short note on Gradient.
- 2) Discuss the stock's integral for integral calculus.
- 3) Give the relations between fundamental theorem.

Q.1(b) Answer the following questions (any one) (04)

- 1) Write the fundamental theorem for Gauss's with geometrical interpretation.
- 2) Write six product rule for differential calculus.

Q.2(a) Answer the following questions (any two) (10)

- 1) Evaluate its co-efficient of Fourier series.
- 2) Obtain Fourier series for square waves.
- 3) Obtain Sine series.

2(b) Answer the following questions (any one) (04)

- 1) Obtain cosine series.
- 2) Obtain Fourier series for a full wave rectifier function.

Q.3(a) Answer the following questions (any two) (10)

- 1) Explain the generalized coordinates.
- 2) Deduce Lagrange's equations from D'Alembert's principle.
- 3) Obtain the Lagrange's equation of motion.

Q.3(b) Answer the following questions (any one) (04)

- 1) Explain constraints.
- 2) Obtain Hamilton's equation of motion for simple pendulum.

Q.4(a) Answer the following questions (any two) (10)

- 1) Obtain the Schrodinger's equation for free particle in one dimension.
- 2) Explain Box normalization.
- 3) Prove probability of any quantum system is conserved.

Q.4(b) Answer the following questions (any one) (04)

- 1) Describe admissibility conditions on the wave function.
- 2) Derive time independent Schrodinger's equation.

Q.5(a) Answer the following questions (any two) (10)

- 1) Show that eigen values of self-adjoint operator are real.
- 2) Show that expectation value and eigen value of self-adjoint are real.
- 3) Explain one of the fundamental postulates of wave mechanics.

Q.5(b) Answer the following questions (any one) (04)

- 1) Prove that: $[L_y, L_z] = i\hbar L_x$.
- 2) Prove that: $1. (A + B)^\dagger = A^\dagger + B^\dagger$
